## HOW TO SUMMARIZE CONTINUOUS DATA

To describe your data, you will present both where the center of the data is located and a measure of spread.
Typical measures of central tendency:

|  | How to compute: | Computed example: | When to use: |
| :--- | :--- | :--- | :--- |
| Arithmetic Mean | Sum of all the values and divide by <br> the sample size $(\mathrm{n})$ | $\frac{1+4+6+1}{4}=\frac{12}{4}=3.00$ | Continuous, normally distributed <br> (symmetric, bell-shaped) data |
| Geometric mean | The nth root of the product of all the <br> values, where $\mathrm{n}=$ sample size | $\sqrt[4]{1 \times 4 \times 6 \times 1}=\sqrt[4]{24}=2.21$ | Used with growth rates such as bacterial <br> counts. |
| Median | The middle value in the data set, <br> when ordered from low to high value | Ordered data: $1,1,4,6$ <br> Middle value: $\frac{1+4}{2}=2.5$ | Continuous, skewed data |
| Mode | The value most commonly appearing <br> in the data set | 1 appears twice, therefore it is <br> the mode. Truly continuous <br> data often has no mode | Can be used for continuous data but <br> mostly used for categorical data - <br> nominal or ordinal |

## Typical measures of spread:

|  | How to compute: | When to use: |
| :--- | :--- | :--- |
| Variance | Take the sum of the squared deviations from the mean <br> value divided by (n-1) | Continuous, normally distributed (symmetric, bell- <br> shaped) data |
| Standard deviation | The square root of the variance | Same as variance |
| Range | The max - min of the data | Continuous, skewed data |
| Interquartile Range | The range of the middle fifty percent of a set of data; in <br> other words, it's where the bulk of data tends to lie. | Continuous, skewed data |

